

[Total Marks: 25]

Q-1 Answer the following MCQ's with correct option. (1 Mark each) (5)

- 1 Helmholtz function is given by  
 a)  $H= U+W$       b)  $G= h-TS$       c)  $h= U+PV$       d)  $F= U- TS$
- 2 Which of the following expression represent second law of thermodynamics?  
 a)  $\delta Q =TdS$       b)  $ds = PV$       c)  $T= dS PdV$       d)  $S= PV$
- 3 Mean kinetic energy of a particle per degree of freedom is \_\_\_\_.  
 a)  $\langle E \rangle = \frac{3}{2}KT$       b)  $\langle E \rangle = \frac{5}{2}KT$       c)  $\langle E \rangle = \frac{1}{2}KT$       d) None of above
- 4 Which of the following parameters remains constant in canonical ensemble?  
 a)  $[V,E,T]$       b)  $[N,V,T]$       c)  $[\mu,V,T]$       d)  $[\mu,N,E]$
- 5 The spin quantum number (s) of the \_\_\_\_ is zero.  
 a) Photon      b) positron      c)  $\alpha$  -particle      d)  $\pi$  - meson
- Q-2 Derive Maxwell's thermo dynamical relations. Also show derivation of relation for (5)  
 taking 'S' and 'V' as independent variables.  
 OR
- Q-2 Derive Clausius - Clapeyron latent heat equation. And shows the graphical representation of Gibb's function, Entropy and volume.
- Q-3 Show that the probability density is constant along the phase trajectories of the (5)  
 phase points.  
 OR
- Q-3 Define Micro canonical ensemble and obtain Gibb's micro canonical distribution function. Also give the postulate of equal priori probability.
- Q-4 Derive an expression for grand canonical distribution of a system in quantum (5)  
 statistics.  
 OR
- Q-4 Discuss different thermo dynamical quantities for canonical ensemble.
- Q-5 Discuss the Maxwell-Boltzmann distribution function of a particle among various (5)  
 states and obtain the condition for its application.  
 OR
- Q-5 Discuss the Bose- Einstein distribution function of the particle among various  
 states.

